AP SUPER GURU MODEL TEST PAPER - 1

MATHEMATICS (UNSOLVED)

Time A	Allowed : 3 Hours	CLAS	S – X	Maximum Marks : 8					
No	G			Ada and a second					
Contract of the Contract of th	questions are compuls	OFV							
	rt 'A' has 1 to 3 Questio	•							
				areate and					
	Que. No. 1 consists of								
	Que. No. 2 consists of								
			•	ions carrying 1 mark each.					
	t 'B' contains question			*					
				tions of these questions have					
inte	ernal choice. Question 1	2 or part will be of ca	se study.						
5. Par	t 'D' contains Question	s no. 14 to 16 each of	6 marks. All these qu	estions have internal choice.					
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		PART	-A)	- 10 100 00 100					
•		. B. 14 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		/1/ v.1 = 1/					
_	estions is of 1 mark			$(16 \times 1 = 16)$					
1. Ch	oose the right option	from the following	questions:						
(<i>i</i>)	$5 + \sqrt{2}$ is a/an	number.	* a •	•					
	(a) rational		(c) natural	(d) whole					
(ii)	HA real number k, is								
()	(a) P(k) = 0			(d) None of these					
(;;;)				ints. where the graph of y					
(m)	f(x) intersects the		octamates of the po	Byligh Sir Je					
		(b) y-axis	(c)(r, v)	(d) origin					
7:5	(a) x-axis			0y = 18 are coincident?					
(iv)									
	(a) 2	(b) 3		(d) 6					
(v)	(v) Which of the following is not a quadratic equation?								
	3 .	5 1	(2) = 1 = 1	$(10^{\circ})^2 = 2 - 4v^2 + 4v$					
	(a) $x - \frac{1}{x} = 4$	(b) $3x - \frac{1}{x} = x$	$(c) x + \frac{-4}{x}$	(a) $x^2 - 3 = 4x^2 - 4x$					
(vi)	Which is the common	n difference of an A.	P. whose nth term is	a _n =					
()	(a) $a_{n+1} + a_n$	(b) $a_n = a + (n-1)d$	$(c) a_n = S_{n+1} - S_n$	$(d) d = a_{n+1} - a_n$					
(vii)	All equilateral triangl	es are	• •						
(7.17)	(a) congruent	(b) similar	. (c) equal	(d) consistent					
(viii)	$1 - \cos^2 \theta =$		• • • • • • • • • • • • • • • • • • • •						
("")	. 000	2 -	20	(N 2 O					

(c) $tan^2 \theta$

 $(b) \sin^2 \theta$

(a) $\sec^2 \theta$

(d) $\csc^2 \theta$

Maximum Marks: 80

(ix) If TQ and TP are th	e two tangents to a	circle with centre O so	that '
	$\angle POQ = 110^{\circ} \text{ then } A$ (a) 60° (b) 70°	C(c) 80° (d)	90°	
(x) If in a triangle ABC	C, angle B is right a	ngle, then what will be	the
	value of $\sin\left(\frac{A+C}{2}\right)$?		
	(a) 1 (b)	$\frac{1}{2}$	$(c) \ \frac{\sqrt{3}}{2}$	$(d) \frac{1}{\sqrt{2}}$
(xi)	If the perimeter an	d the area of a circ	le are numerically equa	al, then the radius of the
	circle is (a) 2 units	(b) π units	(c) 4 units	(d) 7 units
(xii)	The curved surface a	$(b) \pi(r_1+r_2)h$	(c) $2\pi(r_1+r_2)l$	(d) πrl
(viji)	(a) $\pi(r_1 + r_2)l$ The volume of the so	lid formed by joining	ng two basic solids will a	actually be the of
()	the volumes of the co	onstituents.		(d) division
(xiv)	(a) sum Which of the follow	(b) difference ing formula is used	(c) product to find the mode?	(a) division
	(a) $l + \left(\frac{\frac{n}{2} - cf}{f}\right) \times h$		$(b) a + \frac{\sum f_i d_i}{\sum f_i}$	
	(a) $f \int_{-\infty}^{\infty}$	1	(b) " $\sum f_i$	
(.	(c) $a + \left(\frac{\sum f_i u_i}{\sum f_i}\right) \times h$		(d) $1 + \left(\frac{f_1 - f_0}{2f_1 - f_0 - f_2}\right)$	/
(xv)	One card is drawn fro	om a well shuffled d amonds.	eck of 52 cards. Calcula	te the probability that the
	(a) $\frac{5}{26}$	(b) $\frac{4}{13}$	(c) $\frac{3}{13}$	(d) $\frac{1}{52}$
(xvi)	Which of the followi	ng number cannot b	be the probability of an	event?
	(a) $\frac{3}{4}$	(<i>b</i>) –1.5	(c) 15%	(d) 0.7
2.	True/False:			$7 \times 1 = 7$ $(T_{max}/False)$
(i)	Every composite nun	nber can be factorie	ese as product of primes	(True/False) (True/False)
(iii)	Point $(2, 0)$ lies on x - $\cos A$ is the abbrevia	tion used for the co	secant of angle A	(True/False)
(iv)	The opposite sides of	a quadrilateral circu	ımscribing a circle subte	end supplementary angles
	at the centre of the ci	rele.	equation = h^2 . Aga	(True/False) (True/False)
(v)	The Quadratic formu	ia of the quadratic station of two variab	ples is consistent then the	ne lines, representing the
(")	equations will be inte	ersecting or coincide	ent,	(True/False)
(vii)	3 Median = Mode + 2			(True/False)
			and a	

3. Fill in the blanks.

 $7 \times 1 = 7$

- (i) If $\frac{a_1}{a_2} \neq \frac{b_1}{b_2} = \frac{c_1}{c_2}$ then the pair of linear equations has solution.
- (ii) If a, b and are consecutive three terms in A.P. then $b = \dots$
- (iii) In the figure given below DE || BC, then the value of AD =
- (iv) The distance of poin (x, y) from origin is
- (v) The Circumference of a circle =
- (vi) The volume of a cylinder =
- (vii) Probability of an even E + Probability of an event 'not E' is equal to

PART-B

Note: This part has question of 2-2 marks.

 $(4\times 2=8)$

- 4. Find the HCF of 96 and 404 by Prime Factorisation Method.
- 5. Find the zeroes of the quadratic polynomial $t^2 15$.
- 6. A horse is tied to a peg at one corner of a square shaped grass field of side 15m by means of a 5m long rope. Find the area of that part of field in which the horse cannot graze.
- 7. 12 defective pens are accidentally mixed with 132 good pens. It is not possible to just look at a pen tell whether it is defective or not. One pen is taken out at random from this lot

PART-C

Note: This part has questions of 4-4 marks:

 $(6\times 4=24)$

8. Find the two consecutive positie integers, sum of whose squares is 365.

Or

The altitude of a right triangle is 7 cm less than its base. If the hypotenuse is 13 cm. find the other two sides.

- 9. Find the sum of first 22 terms of an A.P. in which d = 7 and 22^{nd} term is 149.
- 10. Find the ratio in wich the line segment joining the points (-3, 10) and (6, -8) is dividided by (-1, 6).
- 11. If $\sin A = \frac{3}{5}$, then find the value of $\cos A$ and $\tan A$.

Or

Prove that
$$\frac{\cos A}{1+\sin A} + \frac{1+\sin A}{\cos A} = 2 \sec A$$
.

12. A tower stands vertically on the ground. From a point on the ground, which is 15 m away from the foot of the tower, the angle of elevation of the top of the tower is found to be 60°. Find the height of the tower.

Or

From a point on a bridge across a river, the angles of depression of the banks on opposite sides of the river are 30° and 45°, respectively. If the bridge is at a height of 3 m from the bank, find the width of the river.



13. A toy is in the form of a cone of radius 3.5 cm mounted on a hemisphere of same radius. The total height of the toy is 15.5 cm. Find the total surface area of the toy.

PART-D

Note: This part has questions of 6-6 marks:

 $(3\times 6=18)$

14. Draw the graph of the equations x - y - 4 + 1 = 0 and 3x - 2y + 12 = 0. Determine the coordinates of the vertices of the triangle formed by these lines and the x-axis, and shade the triangular region.

Or

The coach of a cricket team buys 7 bats and 6 balls for ₹ 3,800. Later, she buys 3 bats and 5 balls for ₹ 1,750. Find the cost of each bat and each ball.

15. Prove that, if a line is drawn parallel to one of a side of a triangle to intersect the other two sides on distinct points, then the other two sides are divided in the same ratio.

Or

Prove that the tangent at any point of a circle is perpendicular to the radius through the point of contact.

16. The following data gives the distribution of total monthly household exenditure of 200 families of a village. Find the modal monthly expenditure of the families:

Expenditure (in ₹)	1000-1500	1500-2000	2000-2500	2500-3000	3000-3500	3500-4000	4000-4500	4500-5000
Number of families	24	40	33	28	30	22	16	7

Or

The distribution below gives the weights of 30 students of a class. Find the median weight of the students.

Weight (in kg)	40-45	45-50	50-55	55-60	60-65	65-70	70-75
Number of students	2	3	8	6	6	3	-2

Answers of Multiple Choice Questions

- 1. (i) (b), (ii) (a), (iii) (a), (iv) (c), (v) (b), (vi) (d), (vii) (b), (viii) (b), (ix) (b), (x) (d), (xi) (a), (xii) (d), (xiii) (a), (xiv) (d), (xv) (d), (xvi) (b)
 - 2. (i) True, (ii) True, (iii) False, (iv) True, (v) False, (vi) True, (vii) True
 - 3. (i) Unique, (ii) $\frac{a+c}{2}$, (iii) 2, (iv) $x^2 + y^2$, (v) π , (vi) $\pi r^2 h$, (vii) 1.

