

2. Derivative (option)

- ① Contract which give right to buy or sell an underlying is known as option contract.
- ② Call option $\rightarrow$ Holder of call option will get a right to buy an underlying at strike price.
- ③ Put option $\rightarrow$ Holder of put option will get a right to sell an underlying at strike price.
- ④ BEP of call option = $\text{Strike price} + \text{Premium}$
- ⑤ BEP of put option = $\text{Strike price} - \text{Premium}$
- ⑥ Maximum loss
 - $\rightarrow$ to writer $\rightarrow$ unlimited
 - $\rightarrow$ to holder $\rightarrow$ premium paid
- ⑦ Maximum Gain
 - $\rightarrow$ to writer $\rightarrow$ Premium received
 - $\rightarrow$ to holder $\rightarrow$ unlimited
- ⑧ Intrinsic value of Call option = $\text{Current market price} - \text{Strike price}$
- ⑨ Intrinsic value of put option = $\text{Strike price} - \text{Current market price}$

(10) Strategy in option

- (a) long Call
- (b) Short Call
- (c) long put
- (d) Short put
- (e) long strangle Strategy

- long Call option at high strike price
- long put option at low strike price

(f) Short strangle Strategy

- Short Call option at high strike price
- Short put option at low strike price

(g) long Straddle Strategy

- long Call option & long put option at same strike price

(h) Short Straddle Strategy

- Short Call option & Short put option at same strike price

(i) Butterfly Strategy

- 1 long Call at high strike price
- 2 short Call at mid strike price
- 1 long Call at low strike price

⑪ Strike price is also known as exercise price or execution price.

⑫ method of calculating fair value of option

(a) General method

$$\text{Fair value of option} = \frac{\text{Pay off}}{(1+i)^n \text{ or } e^{st}}$$

→ Pay off → Difference between strike price & expected price

If expected price is not given

$$\text{Call premium} = \text{Ex-dividend} - \text{Present value of strike price}$$

$$\text{Put premium} = \text{Present value of strike price} - \text{Ex-dividend spot price.}$$

(b) Put Call parity method

↓
applicable when put premium is given and call premium is to be calculated & vice-versa.

$$\text{Call premium} = \left[\text{Ex-dividend} - \text{PV of strike price} \right] + \text{Put premium}$$

$$\text{Put premium} = \left[\text{Present value of strike price} - \text{Ex-dividend spot price} \right] + \text{Call premium}$$

(c) Binomial model



applicable when two expected price is given

Step-1 → Probability of attaining high price =
$$\frac{\text{Spot price} \times (1+i)^n - \text{low price}}{\text{High price} - \text{low price}}$$

(or)

$$\frac{R-d}{U-d}$$

here $R = (1+i)^n$ or e^{rt}

$U = 1 + \%$ of up movement

$d = 1 - \%$ of down movement

Step-2 → Probability of attaining low price = $1 - \text{Probability of attaining high price}$

Step-3 → Expected pay off =
$$\left[\begin{array}{l} \text{Pay off at} \\ \text{high price} \end{array} \times \text{Probability of attaining high price} \right] + \left[\begin{array}{l} \text{Pay off at} \\ \text{low price} \end{array} \times \text{Probability of attaining low price} \right]$$

Step-4 → $C_0/P_0 = \frac{\text{Expected Pay off}}{(1+i)^n \text{ or } e^{rt}}$

(d) Black Scholes model

$$(i) C_0 = \left[\frac{\text{Ex-dividend Spot price}}{\text{Strike price}} \times N(d_1) \right] - \left[\frac{\text{PV of}}{\text{Strike price}} \times N(d_2) \right]$$

$$(ii) P_0 = \left[\frac{\text{PV of}}{\text{Strike price}} \times (1 - N(d_2)) \right] - \left[\frac{\text{Ex-dividend}}{\text{Spot price}} \times (1 - N(d_1)) \right]$$

here

$$D_1 = \frac{\ln \left[\frac{\text{Ex-dividend Spot price}}{K} \right] + \left[R_F + \frac{\sigma^2}{2} \right] \times t}{\sigma \times \sqrt{t}}$$

$$D_2 = D_1 - (\sigma \times \sqrt{t})$$

here

K = Strike price

R_F = Risk free return

(13) Option Greek

