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**BCS401** 

# Fourth Semester B.E./B.Tech. Degree Examination, June/July 2025 Analysis and Design of Algorithms

Time: 3 hrs.

Max. Marks: 100

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|----------|----|--|----|----|-----------------|
|          | 1  | Module – 1   | M  | L  | C               |
| Q.1      | a. | Define algorithm Explain asymptotic notations Bigh oh, Big omega and Big theta notations.  | 08 | L2 | CO1             |
|          | b. | Explain the general plan for analyzing the efficiency of a recursive algorithm. Suggest a recursive algorithm to find factorial of number. Derive its efficiency.  | 08 | L3 | CO1             |
|          | c. | If $t_1$ (n) $\in O(g_1(n))$ and $t_2(n) \in O(g_2(n))$ then show that $t_1$ (n) $+$ $t_2(n) \in O(\max \{ g_1(n), g_2(n) \})$   | 04 | L2 | CO1             |
|          | ,  | OR OR  |    |    |                 |
| Q.2      | a. | With a neat diagram explain different steps in designing and analyzing algorithm.  | 08 | L2 | CO1             |
|          | b. | Write an algorithm to find the max element in an array of n elements. Give the mathematical analysis of this non- recursive algorithm.   | 08 | L3 | CO1             |
|          | c. | With the algorithm derive the worst case efficiency for selection sort.  | 04 | L3 | CO1             |
|          | Т  | Module – 2   |    |    |                 |
| Q.3      | a. | Explain the concept of divide and conquer. Design an algorithm for merge sort and derive its time complexity.  | 10 | L3 | CO2             |
|          | b. | Design an algorithm for insertion algorithm and obtain its time complexity. Apply insertion sort on these elements. 89, 45, 68, 90, 29, 34, 17   | 10 | L3 | CO2             |
| Q.4      | a. | Design an algorithm for Orbits and August Au |    |    |                 |
| <b>~</b> | 4. | Design an algorithm for Quick sort. Apply quick sort on these elements. 5, 3, 1, 9, 8, 2, 4, 7.  | 10 | L3 | CO2             |
|          | b. | Explain Strassen's Matrix multiplication and derive its time complexity.   | 10 | L2 | CO2             |
|          |    | Module – 3   |    |    |                 |
| Q.5      | a. | Define AVI trees. Explain its four rotation types.   | 10 | L2 | CO3             |
|          | b. | Design an algorithm for Heap sort. Construct bottom – up heap for the list 15, 19, 10, 7, 17, 16.  | 10 | L3 | CO4             |
|          |    | OR   |    |    |                 |
| Q.6      | a. | Design Horspool's Algorithm for string matching Apply Horspool algorithm to find pattern BARBER in the test:  JIM_SAW_ME_IN_A_BARBERSHOP.  | 10 | L3 | CO4             |
|          | b. | Define heap. Explain the properties of heap along with its representation.   | 10 | 12 | CO3             |
|          |    | To representation.   | 10 | L2 | CO <sub>3</sub> |

|     |    | Madulo 4   |    |    |                 |
|-----|----|--|----|----|-----------------|
| Q.7 | a. | Construct minimum cost spanning tree using Kruskal's algorithm for the   | 10 | L3 | CO <sub>4</sub> |
|     | ,  | following graph.   |    |    |                 |
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|     |    | 370  |    |    |                 |
|     |    | Fig. 7(a)  |    |    |                 |
|     | h  | What are Huffman trees? Construct the Huffman tree for the following data  | 10 | L3 | CO4             |
|     | b. | Character A B C D -  |    |    |                 |
|     |    | Probability 0.4 0.1 0.2 0.15 0.15  |    |    |                 |
|     |    | i) Encode the text ABAC ABAD ii) Decode the code 100010111001010   |    |    |                 |
|     |    | n) Becode the code root of the code root |    |    |                 |
|     |    | OR   |    |    |                 |
| Q.8 | a. | Apply Dijkstra's algorithm to fine single source shortest path for the given   | 10 | L3 | CO4             |
|     |    | graph by considering A as the source vertex.   |    |    |                 |
|     |    |  |    |    |                 |
|     |    | A 2 B 9  |    |    |                 |
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|     |    | 4 (8)  |    |    |                 |
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|     |    | Fig.8 (a)  |    |    |                 |
|     |    | Define transitive closure of a graph. Apply Warshall's algorithm to  | 10 | L3 | CO4             |
|     | b. | Define transitive closure of a graph. Apply Warshall's algorithm to compute transitive closure of a directed graph.  |    |    |                 |
|     |    | compare may  |    |    |                 |
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|     |    | Fig.8 (b)  |    |    |                 |
|     |    | 2 of 3   |    |    |                 |

| ·<br>- |      |           | Module – 5   |    |    |     |
|--------|------|-----------|--|----|----|-----|
|        | Q.9  | a.        | Explain the following with examples.   | 10 | L2 | CO5 |
|        |      |           | i) P problem   |    |    |     |
|        |      |           | ii) NP problem   |    |    |     |
|        |      |           | ii) NP-Complete problem  |    |    |     |
|        |      |           | iv) NP – Hard problem  |    |    |     |
|        |      | b.        | What is backtracking? Apply backtracking to solve the below instance of      | 10 | L3 | CO6 |
|        |      | 0.        | sum of subset problem.   |    |    |     |
|        |      |           | $S = \{1, 2, 5, 6, 8\}$ and $d = 9$ .  |    |    |     |
|        |      |           |  |    |    |     |
|        |      | _         | OR Ougens  | 10 | L2 | CO6 |
|        | Q.10 | a.        | Illustrate N Queen's problem using backtracking to solve 4 – Queens          | 10 |    |     |
|        |      | b.        | problem.  Using Branch and Bound method solve the below instance of Knapsack | 10 | L3 | CO6 |
|        |      | <b>b.</b> | Problem.   |    |    |     |
|        |      |           | Item Weight Value  |    |    |     |
|        |      |           | 4 40   |    |    |     |
|        |      |           | 2 7 42 25  |    |    |     |
|        |      |           | 3 5 25 12  |    |    |     |
|        |      |           | Capacity = 10  |    |    |     |
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**BCS402** 

## Fourth Semester B.E./B.Tech. Degree Examination, June/July 2025 Microcontrollers

Time: 3 hrs.

Max. Marks: 100

|     |    |   | M  | L  | С   |
|-----|----|---|----|----|-----|
|     |    | Module 1  |    |    | CO1 |
| Q.1 | a. | Explain the major design rules to implement the RISC design philosophy.   | 08 | L2 |     |
|     | b. | Differentiate between RISC and GISC processors.   | 04 | L2 | CO1 |
|     | c. | Explain ARM core data flow model, with neat diagram.  | 08 | L2 | CO1 |
|     |    | OR  |    |    |     |
| Q.2 | a. | With the help of bit layout diagram, explain Current Program Status Register (CPSR) of ARM.   | 08 | L2 | CO1 |
|     | b. | With an example, explain the pipeline in ARM.   | 05 | L2 | CO1 |
|     | c. | Discuss the following with diagrams;  (i) Von-Neuman architecture with cache  (ii) Harvard architecture with TCM  | 07 | L2 | CO1 |
|     |    | Module – 2  | -  |    |     |
| Q.3 | a. | Explain the different data processing instructions in ARM.  | 08 | L2 | CO2 |
|     | b. | Explain the différent branch instructions of ARM.   | 04 | L2 | CO2 |
|     | c. | Explain the following ARM instructions:  (i) MOV r <sub>1</sub> , r <sub>2</sub> (ii) ADDS r <sub>1</sub> , r <sub>2</sub> , r <sub>4</sub> (iii) BIC r <sub>3</sub> , r <sub>2</sub> , r <sub>5</sub> (iv) CMP r <sub>3</sub> , r <sub>4</sub> (v) UMLAL r <sub>1</sub> , r <sub>2</sub> , r <sub>3</sub> , r <sub>4</sub> | 08 | L2 | CO2 |
|     |    | OR OR   |    |    |     |
| Q.4 | a. | Explain the different load store instructions in ARM.   | 08 | L2 | CO2 |
|     | b. | With an example, explain full descending stack operations.  | 07 | L2 | CO2 |
|     | c. | Develop an ALP to find the sum of first 10 integer numbers.   | 05 | L3 | CO2 |
|     |    | Module – 3  | •  |    | -   |
| Q.5 | a. | List out basic C data types used in ARM. Develop a C program to obtain  | 08 | L2 | CO3 |
| Q.v |    | checksums of a data packet containing 64 words and write the compiler output for the above function.  |    |    |     |
|     | b. | Explain the C looping structures in ARM.  | 08 | L2 | CO  |
|     | c. | Explain pointer aliasing in ARM.  | 04 | L2 | CO  |
|     |    | 1 of 2  |    |    |     |

| Q.6<br>Q.7  | a.<br>b.  | With an example, explain function calls in ARM.   | 08         | T = - |                 |
|-------------|-----------|---|------------|-------|-----------------|
| Q.7         |           |   | $\perp 08$ |       |                 |
| Q.7         |           |   |            | L2    | CO              |
| Q.7         |           | Explain register allocation in ARM.   | 07         | L2    | CO3             |
| Q.7         | ۲.        | Write a brief note on portability issues when porting C code to ARM.                        | 05         | L2    | CO <sub>3</sub> |
| <b>Q.</b> 7 |           | Module – 4  |            |       |                 |
|             | a.        | Explain the ARM processor exceptions and modes waster to 11                                 | 10         | L2    | CO4             |
|             |           | exception priorities.   |            |       | 004             |
|             | b.        | Explain the interrupts in ARM.  | 10         | L2    | CO4             |
|             |           | OR  |            |       | 004             |
| <b>Q.8</b>  | a.        | Explain the ARM firmware suite and red hat redboot  | 10         | T 0   | ~ .             |
|             | b.        |   | 10         | L2    | CO4             |
|             | <b>D.</b> | Explain the sandstone directory layout and sandstone code structure.                        | 10         | L2    | CO4             |
| 0.0         |           | Module – 5  |            |       |                 |
| Q.9         | a.        | Explain the basic architecture of a cache memory and basic operation of a cache controller. | 10         | L2    | CO5             |
|             |           |   |            |       | 005             |
|             | b.        | With a neat diagram, explain a 4 KB, four way set associative cache.                        | 10         | L2    | CO.             |
|             |           | A 40'   | 10         | L2    | CO5             |
| Q.10        | a.        | Explain the write buffers and measuring cache efficiency.                                   |            |       |                 |
|             | h         | Evaluin al. 1   | 08         | L2    | CO5             |
|             | D.        | Explain the cache policy:   | 12         | L2    | CO5             |
|             |           |   |            |       |                 |
|             |           | Explain the cache policy:  * * * * * * * * * * * * * * * * * * *                            |            |       |                 |
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# Fourth Semester B.E./B.Tech. Degree Examination, June/July 2025 Advanced Java

Time: 3 hrs.

Max. Marks: 100

|     |    | Module – 1  | M  | L  | C   |
|-----|----|---|----|----|-----|
| Q.1 | a. | What is Collection Framework? Explain the methods define by the collection interface.   | 7  | L2 | CO1 |
|     | b. | Demonstrate ArrayList class collection with example.  | 7  | L2 | CO1 |
| •   | c. | Explain how collections can be accessed using an iterator with example.   | 6  | L2 | CO1 |
|     |    | OR N  |    |    |     |
| Q.2 | a. | Explain the following map classes: i) HashMap ii) TreeMap.  | 10 | L2 | CO1 |
|     | b. | What are comparators? Write a comparator program to sort accounts by last name.   | 10 | L3 | CO1 |
|     |    | Module – 2  |    |    |     |
| Q.3 | a. | Explain the string comparison functions with suitable program.  | 6  | L2 | CO2 |
|     | b. | Explain the following built in methods with respect to StringBuffer class:  i) capacity()  ii) delete()  iii) replace()  iv) append()  v) substring() | 7  | L2 | CO2 |
|     | c. | Write a Java program that demonstrates any four constructors of string class.   | 7  | L3 | CO2 |
|     |    | OR  |    |    |     |
| Q.4 | a. | Write a Java program to remove duplicate characters from a given string and display the resultant string.   | 7  | L3 | CO3 |
|     | b. | Explain character extraction functions in string class.   | 7  | L2 | CO2 |
|     | c. | Explain constructors in Java string builder class.  | 6  | L2 | CO2 |
|     | 1  | 1 of 2  |    | •  |     |

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|      |    | Module – 3   |    |    |      |
| Q.5  | a. | Explain the difference between AWT and Swing. What are two key features of swing and explain.  | 6  | L2 | CO3  |
|      | b. | What is JLabel class? Explain with example of any three constructors and methods of JLabel class.  | 7  | L2 | CO3  |
|      | c. | Write a Java program in swing event handling applications that creates 2 buttons ALPHA and BETA and displays the text "Alpha pressed" when Alpha button is clicked and "Beta pressed" when beta button is clicked. | 7  | L3 | CO3  |
|      |    | OR A   |    |    |      |
| Q.6  | a. | What is JPanel class? Explain the constructors of Jpanel class and give a suitable example.  | 6  | L2 | CO3  |
|      | b. | give a suitable example.   | 7  | L2 | CO3  |
|      | c. | What is JFrame class? Explain constructors and methods of JFrame class.  | 7  | L2 | CO3  |
|      | _  | Module – 4   |    |    |      |
| Q.7  | a. | Explain the life cycle of servlet.   | 6  | L2 | CO4  |
|      | b. | Write a Java servlet program to display the name, USN and total marks by accepting student detail.   | 7  | L3 | CO4  |
|      | c. | Describe the core interfaces that are provided in Javax Servlet.http package.  | 7  | L3 | CO4  |
|      |    | OR O   |    |    |      |
| Q.8  | a. | What is JSP? Explain the various types of JSP tags with example.   | 10 | L2 | CO4  |
|      | b. | What are cookies? How cookies are handled in JSP? Write a JSP program to create and read a cookie.   | 10 | L2 | CO4  |
|      |    | Module – 5   |    |    |      |
| Q.9  | a. | What are database drivers? Explain the different JDBC driver types.  | 10 | L2 | CO5  |
|      | b. | Describe the various steps of JDBC with code snippets.   | 10 | L2 | CO5  |
|      | 1  | OR   |    |    |      |
| Q.10 | a. | Write any two syntax of established a connection to a database.  | 6  | L2 | CO5  |
|      | b. | What is connection pooling? Explain connection pooling with a neat diagram with snippets.  | 7  | L2 | CO5  |
|      | c. | Describe the following concepts:  i) Callable statement  ii) Transaction processing.   | 7  | L2 | CO5  |

### GBGS SCHEME

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## Fourth Semester B.E./B.Tech. Degree Examination, June/July 2025 Database Management Systems

Time: 3 hrs.

Max. Marks: 100

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|-----|----|--|---|-----|----------|
|     |    | Module – 1   | M | L   | <u>C</u> |
| Q.1 | a. | Explain the types of attributes with example.  | 4 | L2  | CO1      |
|     | b. | Define database. Explain the main characteristics of the database approach.  | 8 | L2  | CO1      |
|     | c. | Show the ER diagram for an EMPLOYEE database by assuming your own entities (minimum 4) attributes and relationships, mention cardinality ratios wherever appropriate.  | 8 | L3  | CO2      |
|     |    | OR A   |   |     |          |
| Q.2 | a. | Describe the three schema architecture.  | 4 | L2  | CO1      |
|     | b. | Explain the component models of DBMS and their interaction with the help of diagram.   | 8 | L2  | CO1      |
|     | c. | Design ER diagram for a university database by assuming your own entities (4). Mention primary key, constraints and relationships.   | 8 | L3  | CO2      |
|     |    | Module – 2   |   | ,   |          |
| Q.3 | a. | Explain relational model constraints.  | 6 | L2  | CO1      |
|     | b. | Explain the characteristics of relations with suitable example for each.   | 6 | L2  | CO1      |
| Q.4 | а. | Considering the following schema:  Sailors (sid , sname , rating , age)  Boats (bid , bname , color)  Reserves (sid , bid , day)  Write a relational algebra queries for the following:  i) Find the names of sailors, who have reserved red and a green boat.  ii) Find the names of sailors who have reserved a red boat.  iii) Find the names of sailors who have reserved a red or green boat.  iv) Find the names of sailors who have reserved all boats.  OR  Explain the steps to convert the basic ER model to relational Database | 8 | L3  | CO1      |
|     |    | schema.  |   |     |          |
|     | b. | Explain Unary relational operations with example.  | 6 | L2  | CO1      |

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|             | •       | Consider the maleting of the Freedom detalogo  | 8 | L3   | CO3  |
|             | c.      | Consider the relation schema Employee database.  |   |      |      |
|             |         | EMPLOYEE (Fname, Minit, Lname, SSn, Bdates, Address, Sex, Salary                         |   |      |      |
|             |         | Super SSn, Dno)  |   |      |      |
|             |         | DEPARTMENT (Dname, <u>Dnumber</u> , Mgr_SSn, Mgr_start_date)                             |   |      |      |
|             |         | DDC/FOT (D. D.)  |   |      |      |
|             |         | PROJECT (Pname, <u>PNumber</u> , Plocation, Dnum)  |   |      |      |
|             |         | WORKS_ON (Essn, Pno, Hours)  |   |      |      |
|             |         | DEPENDENT (Essn, Dependent_name, sex, Bdate, Relationship)                               |   |      |      |
|             |         | Write relational algebra queries for the following:                                      |   |      |      |
|             |         | "\" P. t. " the recovered at the second wing.  |   |      |      |
|             |         | i) Retrieve the name and address of all employees who work for the                       |   |      |      |
|             |         | 'Research' department.   |   |      |      |
|             |         | ii) List the names of all employees with 2 or more dependents.                           |   |      |      |
|             |         | iii) Find the names of employees who work on all the projects controlled                 |   |      |      |
|             |         |  |   |      |      |
|             |         | by department number 5   |   |      |      |
|             |         | iv) List the names of employees who have no dependents.                                  |   |      |      |
|             |         |  |   |      |      |
|             | 1       | Module – 3   |   |      |      |
| -           | _       |  | 6 | L2   | CO4  |
| Q.5         | a.      | What is the need for normalization? Explain second and third normal form                 | U | 1.2  | C04  |
|             |         | with examples.   |   |      |      |
|             |         |  |   |      |      |
|             | h       | Outline constraints in SQL.  | 6 | L2   | CO1  |
|             | b.      | Outine constraints in SQL.   |   |      |      |
|             |         |  | - | T. C | 60.1 |
|             | c.      | Identify the given Relation R(ABCDE) and its instance, check whether                     | 8 | L3   | CO4  |
|             |         | FDS given hold or not. Give reasons.   |   |      |      |
|             |         | i) $A \rightarrow B$ ii) $B \rightarrow C$ iii) $D \rightarrow E$ iv) $CD \rightarrow E$ |   |      |      |
|             |         |  |   |      |      |
|             |         | A B C D E  |   |      |      |
|             |         | $a_1$ $b_1$ $c_1$ $d_1$ $e_1$  |   |      |      |
|             |         | $\mathbf{a}_1  \mathbf{b}_2  \mathbf{c}_1  \mathbf{d}_1  \mathbf{e}_1$                   |   |      |      |
|             |         |  |   |      |      |
|             |         | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$                                    |   |      |      |
|             |         | $a_2 \mid b_3 \mid c_3 \mid d_2 \mid e_2$  |   |      |      |
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|             |         |  |   | 1    |      |
|             |         | OR .   |   | 112  | CO4  |
| Q.6         | a.      | What is Multivalued dependency? Explain 4NF and 5NF with suitable                        | 6 | L2   | CO4  |
|             |         | example  |   |      |      |
|             |         | Champion   |   |      |      |
|             |         | a ville C 1 1 - i - C iddings for relations (scheme                                      | 6 | L2   | CO4  |
|             | b.      | Outline the informal design guidelines for relational schema.                            | " |      | 001  |
|             |         |  |   |      |      |
|             | c.      | Consider relation R with following function dependency:                                  | 8 | L3   | CO4  |
|             | ٠.      | EMPPROJ (SSn, Pnumber, Hours, Ename, Pname, Plocation)                                   |   |      |      |
|             |         | DIVIERNOJ (SSII , IAIGIIOCI , HOURS , Eliante , Florancia)                               |   |      |      |
|             |         | SSN, Pnumber → Hours,  |   |      |      |
|             |         | SSN 		Ename  | 1 |      |      |
|             |         | Pnumber → Pname, Plocation.  |   |      |      |
|             |         | Is it 2NF? Verify? If no give reason.  |   |      |      |
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| 7 2   |      | Module – 4   | 10  | 1.2 | CO    | 12  |
|-------|------|--|-----|-----|-------|-----|
| '   ' | 1.   | Consider the following schema for a company database:  | 10  | L3  | CO    | 3   |
|       |      | Employee (FName, LName, SSn, Adderss, Sex, Salary, Dno,  |     |     |       |     |
|       |      | Super SSn)   |     |     |       |     |
|       |      | Department (Dname, Dnumber, mgr_SSn, mgr_st_date)  |     |     |       |     |
|       |      | Project (Pname, Pnumber, Plocation, Dnum)  |     |     |       |     |
|       |      |  |     |     |       |     |
|       |      | WORKS_on (Essn , Pno , Hours)  |     |     |       |     |
|       |      | DEPENDENT (Essn, Dependent name, Sex, Bdate, relationship).  |     |     |       |     |
|       |      | Write the SQL queries for the following:   |     |     |       |     |
|       |      | i) List the names of managers who have atleast one dependent (use  |     |     |       |     |
|       |      | correlated nested).  |     |     |       |     |
|       |      | ii) Retrieve the name of each employee who has a dependent with the  |     |     |       |     |
|       |      | same first name and is the same sex as the employee.   |     |     |       |     |
|       |      | iii) For each project retrieve the project number, project name and the  |     |     |       |     |
|       |      | number of employees who work on that project.  |     |     |       |     |
|       |      | iv) Retrieve the SSN of all employees who work on project number 1, 2  |     |     |       |     |
|       |      | or 3. (Use 1N).  |     |     |       |     |
|       |      |  |     |     |       |     |
|       |      | v) Find the sum of the salaries of all employees of the Research department as well as maximum salary, minimum salary, average   |     |     |       |     |
|       |      | department as well as maximum sutary, minutes as y   |     |     |       |     |
|       |      | salary in this department.   |     |     |       |     |
|       |      | 1 10 Descripto with an example   | 10  | L   | 2 (   | COS |
|       | b.   | Why concurrency control is needed? Demonstrate with an example.  | 1   | _   | _   ` |     |
|       |      |  | 1   |     |       |     |
|       |      | OR   | 10  | T   | 2 (   | CO  |
| Q.8   | a.   | Consider the following schedule. The actions are listed in the order they are  | 10  |     | 3   ( | JU. |
|       |      | scheduled and prefixed with the transaction name.  |     |     |       |     |
|       |      | $S1 \cdot T1 \cdot R(X) \cdot T2 \cdot R(X) \cdot T1 \cdot W(Y) \cdot T2 : W(Y) \cdot T1 \cdot R(Y) \cdot T2 : R(Y) \cdot T2 \cdot R(Y) \cdot$ |     |     |       |     |
|       |      | S2:T3:W(X), T1:R(X), T1:W(Y), T2:R(Z), T2:W(Z), T3:R(Z)  |     |     |       |     |
|       |      | For each schedule answer the following:  |     |     |       |     |
|       |      | What is the precedence graph for the schedule?   |     |     |       |     |
|       |      | ii) What is the precedence graph for the schedule?  Is the schedule conflict_serializable? If so what are all the conflicts  |     |     |       |     |
|       |      | equivalent serial schedules?   |     |     |       |     |
|       |      | iii) Is the schedule view serializable? If so what are all the view equivalent   |     |     |       |     |
|       |      |  |     |     |       |     |
|       |      | serial schedules?  |     |     |       |     |
|       |      | SQL 11 managhar  | 2 1 | 0   | L3    | CC  |
|       | b.   | Explain triggers with example write a trigger in SQL to call a procedur  | 6 1 | U   |       | C   |
|       |      | "Inform_Supervisor" whenever an employees salary is greater than the   | e   |     |       |     |
|       |      | salary of his or her direct supervisor in the COMPANY database.  |     |     | 1     |     |
|       |      |  |     |     |       |     |
|       | 0    | Module - 5   |     |     |       |     |
| Q.9   | a    | Describe the two - phase locking protocol for concurrency control provide  | le  | 10  | L2    | C   |
| Q.J   | l a. | example to illustrate how it ensures serializability in transaction schedule.  |     |     |       |     |
|       |      | example to mustrate now it ensures per interest of   |     |     |       |     |
|       | +-   | E li de Cartairies a CNOCOL quetem   |     | 10  | L2    | C   |
|       | b    | Explain the characteristics of NOSQL system.   |     | 10  |       | ~   |
|       |      |  |     |     |       | 1   |
|       |      | OR   |     | 10  |       | 1   |
| Q.10  | ) a  | Explain binary locks and shared lock with algorithm.   |     | 10  | L2    | (   |
| ~     |      |  |     |     |       |     |
|       | b    | . Explain MongoDB dâta model, CRUD operations and distributed systematical explains and distributed systemat   | em  | 10  | L2    | (   |
|       | "    | characteristics.   |     |     |       |     |
|       |      | Characteristics.   |     |     |       |     |
|       |      | , Venna  |     |     |       |     |

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#### Fourth Semester B.E/B.Tech. Degree Examination, June/July 2025 **Graph Theory**

Time: 3 hrs.

|   | т   |   | 7.7 | T  | C               |
|---|-----|---|-----|----|-----------------|
|   |     | Module – 1  | M   | L  | C               |
| 1 | a.  | Consider the following graph G Fig.Q1(a). Write:  | 6   | L3 | CO <sub>1</sub> |
|   |     | i) Open walk which is not a trail   |     |    |                 |
|   |     | ii) Trial which is not a path   |     |    |                 |
|   |     | iii) Closed walk which is a cycle   |     |    |                 |
|   |     | iv) Closed walk which is a circuit but not a cycle  |     |    |                 |
|   |     | v) Closed walk neither circuit nor cycle  |     |    |                 |
|   |     | vi) Path of length 4.   |     |    |                 |
|   |     | V <sub>1</sub>  |     |    |                 |
|   |     |   |     |    |                 |
|   |     |   |     |    |                 |
|   |     |   |     |    |                 |
|   |     |   |     |    |                 |
|   |     | N2 V4 V5  |     |    |                 |
|   |     | 7   |     |    |                 |
|   | ļ., | Fig.Q1(a)   | 7   | L1 | CO1             |
|   | b.  | Define bipartite graph and complete bipartite graph can a bipartite graph have                              | ,   | Li | 001             |
|   | -   | odd length cycles. Explain.  Is there a simple graph with 1, 1, 3, 3, 3, 4, 6, 7 as the degree of vertices? | 7   | L3 | CO1             |
|   | c.  |   | ,   |    | COT             |
|   |     | Explain. OR   |     |    |                 |
|   |     | Define spanning subgraph and induced subgraph. Draw a complete graph G                                      | 6   | L1 | CO1             |
| 2 | a.  | Define spanning subgraph and induced subgraph. Diawa complete graph   | U   |    |                 |
|   |     | with 5 vertices and spanning subgraph and induced subgraph of G.  | 7   | L2 | CO2             |
|   | b.  | Verify the following:   | ,   |    | 002             |
|   |     | i) Fig.Q2(b)(i) and Fig.Q2(b)(ii) are isomorphic.   |     |    |                 |
|   |     | na V1 V5  |     |    |                 |
|   |     |   |     |    |                 |
|   |     | 45 410 V6   |     |    |                 |
|   |     | (4) (4) V <sub>1</sub> V <sub>1</sub> V <sub>10</sub>   |     |    |                 |
|   |     | ug 10   |     |    |                 |
|   |     | 77  |     |    |                 |
|   |     | V <sub>3</sub> V <sub>3</sub>   |     |    |                 |
|   |     | Fig.Q2(b)(ii)   |     |    |                 |
|   |     | ii) Fig.Q2(b)(iii) and Fig.Q2(b)(iv) are not isomorphic.  |     |    |                 |
|   |     | 1) 1 1g. (2(0)(11)  |     |    |                 |
|   |     |   |     |    |                 |
|   |     |   |     |    |                 |
|   |     |   |     |    |                 |
|   |     | Fig O2(h)(iv)   |     |    |                 |
|   |     | Fig.Q2(b)(iii) Fig.Q2(b)(iv)  | 7   | L3 | CO2             |
|   | c.  | A simple graph with n vertices and k components can have at most  | '   | 13 |                 |
|   |     | (n-k)(n-k+1)/2 edges.   |     |    |                 |
|   |     | 1 of 3  |     |    |                 |
|   |     |   |     |    |                 |

| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs  ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.   |    |    |   |       | BCS4 | 105B    |
|--|----|----|---|-------|------|---------|
| a. By specifying the walk draw two Euler graphs and unicursal graph.  b. If all the vertices in a connected graph G are of even degree, then show that G   T   L3   CO2 is Eulerian.  c. Define and find union, intersection and ring sum of K3 and K3,3.  7   L1   CO2    Ba   Define reflexive relation, symmetric relation and transitive relation   CO1   L2   CO1    b. Distinguish between Hamiltonian graph and Eulerian graph with two   T   L2   CO2    examples by specifying the walk.  c. Prove that a connected graph G has an Euler circuit if and only if G can be   T   L3   CO2    decomposed into edge-disjoint cycles.  b. Prove that a tree with n vertices has n-1 edges.  b. i) Prove that a graph is confidered if and only if it has aspanning tree   T   L3   CO2    fig.Q5(b)(ii)   Fig.Q5(b)(ii)   Fig.Q5(b)(ii), Fig.Q5(b)(ii), Fig.Q5(b)(iii).  Fig.Q5(b)(iii)   Fig.Q5(b)(iii)   Fig.Q5(b)(iii)   Fig.Q5(b)(iii)   Fig.Q5(b)(iii)    c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G   OR    a. Prove that a connected graph G is a tree if and puly if there is one and only   6   L3   CO2    Define a tree and forest Prove that with two of more vertices in a tree, there   T   L1   CO1    Fig.Q6(c)   Module 4    a. i) State Kufrajowski's theorem affoldraw Kuratowski's two graphs   ii) Draw planar graphs of : i) Order S and size 8   ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2   T   L3   CO2    Fig.Q7(c)(i)   Fig.Q7(c)(ii) and Fig.Q7(c)(ii).  |    |    | Module – 2  | 6     | 1.2  | COL     |
| b. If all the vertices in a connected graph G are of even degree, then show that a connected graph in the provided transitive relation in the provided provided provided transitive relation in the provided provided provided transitive relation in the provided provi | 3  | a. | By specifying the walk draw two Euler graphs and unicursal graph.                                 |       |      |         |
| c. Define and find union, intersection and ring sum of Kranind Ks. J. J. L. Col.  a. i) Define reflexive relation, symmetric relation and transitive relation ii) Draw a symmetric graph and complete asymmetric graph.  b. Distinguish between Hamiltonian graph and Eulerian graph with two examples by specifying the walk.  c. Prove that a connected graph G has an Euler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a graph is connected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii) Fig.Q5(b)(ii), Fig.Q5(b)(iii)  Fig.Q5(b)(iii) Fig.Q5(b)(ii) Fig.Q5(b)(iii) Fig.Q5(b)(iii)  c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  A. Prove that a connected graph G is a tree if and poly if there is one and only one path between every pair of vertices.  b. Define a tree and forest Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Fig.Q6(c)  Fig.Q6(c)  Fig.Q6(c)  Fig.Q7(c)(i) Fig.Q6(c)  To L3 CO2  Fig.Q6(c)  Fig.Q7(c)(ii) To L3 CO2  Fig.Q7(c)(ii) To L3 CO3  To L4 CO3  To L5 CO4  L5 CO5  L5 CO5  C Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  |    | b. | If all the vertices in a connected graph G are of even degree, then show that                     | ·     |      |         |
| a. i) Define reflexive relation, symmetric relation and transitive relation  ii) Draw a symmetric graph and complete asymmetric graph.  b. Distinguish between Hamiltonian graph and Eulerian graph with two 7 L2 CO2 examples by specifying the walk.  c. Prove that a connected graph G has an Etler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a tree with n vertices has n-1 edges.  b. i) Prove that a graph is connected if and only if it has a spanning tree i) Identify cut vertices if any in graph Fig Q5(b)(ii) Fig Q5(b)(iii), Fig Q5(b)(iii), Fig Q5(b)(iii), Fig Q5(b)(iii)  c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig Q6(c).  Fig Q6(c)  Fig Q6(c)  Fig Q7(c)(ii) Fig Q7(c)(ii).  7 L2 CO2  Fig Q7(c)(ii) Fig Q7(c)(ii).   |    | c. |   | 7     | LI   | COZ     |
| a. i) Define reflexive relation, symmetric relation wild transitive relation i) Draw a symmetric graph and complete, asymmetric graph.  b. Distinguish between Hamiltonian graph sand Eulerian graph with two of the examples by specifying the walk.  c. Prove that a connected graph G has an Euler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a graph is connected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii) Fig.Q5(b)(iii).  Fig.Q5(b)(iii).  Fig.Q5(b)(iii).  Fig.Q5(b)(iii) Fig.Q5(b)(iii)  Fig.Q5(b)(iii) Fig.Q5(b)(iii)  Cc. Show that Tor any graph G, the vertex connectivity cannot exceed the degree of the vertex with the smallest degree in G  A. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest: Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Module 4  a. i) State Kuralowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO2 Fig.Q7(c)(ii).  Fig.Q7(c)(ii) Fig.Q7(c)(ii).   |    |    |   |       |      | COL     |
| ii) Draw a symmetric graph and complete asymmetric graph. b. Distinguish between Hamiltonian graph and Eulerian graph with two of L2 CO2 examples by specifying the walk. c. Prove that a connected graph G has an Euler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a tree with n vertices has n Euler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a graph is conflected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii), Fig.Q5(b)(iii), Fig.Q5(b)(iii).  Fig.Q5(b)(iii).  Vi V3  V2  Fig.Q5(b)(iii)  Fig.Q5(b)(iii)  Fig.Q5(b)(iii)  Fig.Q5(b)(iii)  Fig.Q5(b)(iii)  Fig.Q5(b)(iii)  A Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Fig.Q6(c)  Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(iii)  Fig.Q7(c)(iii)   | 4  | a. |   | 6     |      | 1       |
| b. Distinguish between Hamiltonian graph and Eulerian graph with two examples by specifying the walk.  c. Prove that a connected graph G has an Euler circuit if and only if G can be decomposed into edge-disjoint cycles.  Module - 3  a. Prove that a tree with n vertices has n-1 edges. b) i) Prove that a graph is confected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii), Fig.Q5(b)(iii), Fig.Q5(b)(iii).  Fig.Q5(b)(iii)  Cc. Show that for any graph G, the vertex connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices. b) Define a tree and forest: Prove that with two of more vertices in a tree, there are at last two pendent vertices. c) Show that A Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Module 4  a. i) State Kufratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12. b) Show that a connected planar graph with n vertices and e-edges has e-n+2 regions. c. Draw the geometric dual of graphs Fig.Q7(c)(ii) and Fig.Q7(c)(ii).  Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(iii)   |    |    |   |       |      |         |
| c. Prove that a connected graph G has an Euler circuit if and only if G can be decomposed into edge-disjoint eyeles.  Module – 3  a. Prove that a tree with n vertices has n-1 edges.  b. i) Prove that a graph is conflected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii), Fig.Q5(b)(iii).  Fig.Q5(b)(iii).  c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest: Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kufatowski's theorem and diraw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(e)(i) and Fig.Q7(e)(ii).  7 L2 CO2   |    | b. | Distinguish between Hamiltonian graph and Eulerian graph with two                                 | 7     | L2   | CO2     |
| a. Prove that a tree with n vertices has n-1 edges. b. i) Prove that a graph is connected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(i). Fig.Q5(b)(ii).  Fig.Q5(b)(ii)  C. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G.  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO2 of the graph Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(ii)  Fig.Q7(c)(iii)  |    | c. | Prove that a connected graph G has an Euler circuit if and only if G can be                       | 7     | L3   | CO2     |
| a. Prove that a tree with n vertices has n-1 edges. b. i) Prove that a graph is comficted if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(ii), Fig.Q5(b)(iii), Fig.Q5(b)(iii)  c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices. b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices. c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(e).  Fig.Q6(c)  Fig.Q7(c)(i)  Fig.Q7(c)(ii)  Fig.Q7(c)(iii)  7 L2 CO2  |    |    |   |       |      |         |
| b. i) Prove that a graph is confiected if and only if it has a spanning tree ii) Identify cut vertices if any in graph Fig.Q5(b)(i),Fig.Q5(b)(ii),  Fig.Q5(b)(ii).  c. Show that for any graph G, the vertex connectivity cannob exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO2  Fig.Q7(c)(i) Fig.Q7(c)(ii) And Fig.Q7(c)(ii).  7 L2 CO2  |    |    |   |       | 13   | COL     |
| ii) Identify cut vertices if any in graph Fig.Q5(b)(ii), Fig.Q5(b)(iii),  Fig.Q5(b)(iii).  C. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G.  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Module 4  a. i) State Kufratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2   | 5_ | -  |   |       |      |         |
| c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two or more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2   |    | b. | ii) Identify cut vertices if any in graph Fig.Q5(b)(i),Fig.Q5(b)(ii),                             | 7     | 1    |         |
| c. Show that for any graph G, the vertex connectivity cannot exceed the edge connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two or more vertices in a tree, there are at last two pendent vertices.  C. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2  |    |    | $V_2$ $V_3$ $V_4$ $V_6$   |       |      |         |
| connectivity and edge connectivity cannot exceed the degree of the vertex with the smallest degree in G  OR  a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two or more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   | 7     | 12   | CO2     |
| a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).    Fig.Q6(c)  |    | c. | Show that for any graph G, the vertex connectivity cannot exceed the edge                         |       | L3   | COS     |
| a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2   |    |    |   |       |      |         |
| a. Prove that a connected graph G is a tree if and only if there is one and only one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).    Nodule - 4   |    |    | with the smallest degree in G   |       |      |         |
| one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2  |    |    |   |       |      |         |
| one path between every pair of vertices.  b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module 4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO2  | 6  | a. | Prove that a connected graph G is a tree if and only if there is one and only                     | 6     | L3   | CO2     |
| b. Define a tree and forest. Prove that with two of more vertices in a tree, there are at last two pendent vertices.  c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  The spanning tree is a spanning tree in the spanning tree i |    |    | one path between every pair of vertices.  |       |      |         |
| c. Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees of the graph Fig.Q6(c).  Fig.Q6(c)  Module -4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO  |    | b. | Define a tree and forest. Prove that with two or more vertices in a tree, there                   | 7     | L1   | CO1     |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  |    | C  | Show that a Hamiltonian path is a spanning tree. Draw all the spanning trees                      | 7     | L2   | CO2     |
| Fig.Q6(c)  Module -4  a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L.3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO  |    | C. |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    | of the graph rig. (o(c).  |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    | $\sim \sim $ |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    | Fig,Q6(c)   |       |      |         |
| a. i) State Kuratowski's theorem and draw Kuratowski's two graphs ii) Draw planar graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.  b. Show that a connected planar graph with n vertices and e-edges has e-n+2 regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO Fig.Q7(c)(i) Fig.Q7(c)(ii)  |    |    | Module ₹4   |       |      |         |
| b. Show that a connected planar graph with n vertices and e-edges has e-n+2  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO  Fig.Q7(c)(i)  Fig.Q7(c)(ii)  | _  | 1  | State Kuratowski's theorem and draw Kuratowski's two graphs                                       | 6     | L1   |         |
| b. Show that a connected planar graph with n vertices and e-edges has e-n+2 7 L3 CO regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO  | 7  | a. | Draw planer graphs of: i) Order 5 and size 8 ii) Order 6 and size 12.                             |       | L3   | CO2     |
| b. Show that a connected planar graph with it vertices and c edges has regions.  c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).  7 L2 CO   |    |    |   | 2 7   | L3   | CO2     |
| c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).   |    | b. |   | -   ' |      |         |
| c. Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(ii).   |    |    | regions.  | -     | T '  | 2 CO2   |
| Fig.Q7(c)(ii)  |    | C. | Draw the geometric dual of graphs Fig.Q7(c)(i) and Fig.Q7(c)(11).                                 | '     | L.   | 2   003 |
|  |    | 5. |   |       |      |         |
|  |    |    |   |       |      |         |
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|  |    |    |   |       |      |         |
|  |    |    |   |       |      |         |
|  |    |    |   |       |      |         |
|  |    |    | Fig O7(e)(ii)   |       |      |         |
| 2 of 3   |    |    |   |       |      |         |
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|    |    |  |   | BCS | 405B            |
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| 0  |    | OR   |   |     |                 |
| 8  | a. | i) Show that Kuratowski's first graph K <sub>5</sub> isnon planar  | 6 | L2  | CO <sub>2</sub> |
|    |    | ii) Show that every connected simple graph G contains a vertex of degree less than 6.  |   | L2  | CO2             |
|    | b. | If G is a simple planar graph with at least three vertices then show that:   | 7 | L3  | CO2             |
| _  | c. | (i) $e \le 3n - 6$ ii) $e \le 2n - 4$ if G is triangle free. Write down adjacency matrix, path matrix and circuit matrix for the given | 7 | L2  | CO3             |
|    |    | graphs Fig.Q8(c)(i) and Fig.Q8(c)(ii).  V1  V2  V3  Fig.Q8(c)(i)  Fig.Q8(c)(ii)  | , | LZ  | COS             |
|    |    | Module – 5   |   | L3  | CO2             |
| 9  | a. | Prove that a graph with at least one edge is 2-chromatic if and only if it has no circuits of odd length.                              | 6 |     |                 |
|    | b. | Define chromatic number. Find chromatic polynomial of C <sub>4</sub> of length 4.  | 7 | L2  | CO3             |
|    | c. | State and prove 5 colour problems.   | 7 | L3  | CO2             |
| 10 | a. | Prove that every connected simple planner graph is 6-colourable.   | 6 | L3  | CO3             |
|    | b. | Define matching and complete matching. Find the two complete matching of:  C1  C2  S2  S3  S4  Fig.Q10(b)                              | 7 | L1  | CO2             |
|    | c. | Define covering and minimal covering of a graph. Obtain two minimal covering from the given graph.  Fig.Q10(c)                         | 7 | L2  | CO3             |

|     |  |  | <br> |  | <br> |
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**BBOC407** 

#### Fourth Semester B.E./B.Tech. Degree Examination, June/July 2025 Biology for Engineers (CSE)

Time: 3 hrs.

Max. Marks: 100

|     |    | Module 1   | M | L  | С   |
|-----|----|--|---|----|-----|
| Q.1 | a. | Define Cell. Explain function and structure of cell.   | 7 | L2 | CO1 |
|     | b. | List the various hormones and write the functions of them.   | 7 | L2 | CO1 |
|     | c. | Demonstrate the properties and function of lipids.   | 6 | L3 | CO1 |
|     |    | OR   |   |    |     |
| Q.2 | a. | What are stem cells? Discuss the function of stem cells.   | 7 | L2 | CO1 |
|     | b. | List the vitamins and write the functions of them.   | 7 | L2 | CO1 |
|     | c. | Demonstrate the properties and function of nuclic acids.   | 6 | L3 | CO1 |
|     |    | Module – 2   |   |    |     |
| Q.3 | a. | Define Biomolecule. List the classification of biomolecules with each one example in short in engineering application. | 7 | L2 | CO2 |
|     | b. | Explain the applications of enzymes in biosensors and bio bleaching.   | 7 | L2 | CO2 |
|     | c. | What is DNA finger printing? Explain the process involved in DNA finger printing.                                      | 6 | L3 | CO2 |
|     | ,  | ØR ØR  |   |    |     |
| Q.4 | a. | Explain the properties of cellulose as an effective water filter.  | 7 | L2 | CO2 |
|     | b. | List the properties of PHA and explain the engineering applications of PHA.  | 7 | L2 | CO2 |
|     | c. | Demonstrate whey as a protein.   | 6 | L3 | CO2 |
|     |    | Module – 3   |   |    |     |
| Q.5 | a. | Define ECG. Explain in detail.   | 7 | L2 | CO3 |
|     | b. | How kidney will be used as a filteration system, explain with one type of dialysis example.                            | 7 | L2 | CO3 |
|     | 1  | Illustrate Brain as a CPU system.  | 6 | L3 | CO3 |

|      |    |  |   | вво | C407 |
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|      |    | OR   |   |     |      |
| Q.6  | a. | Briefly discuss the various bio engineering solutions for muscular dystrophy.  | 7 | L2  | CO3  |
|      | b. | Explain robotic arms for Prosthetic device.  | 7 | L2  | CO3  |
|      | c. | Illustrate eye as a camera system.   | 6 | L3  | CO3  |
|      |    | Module - 4   |   |     |      |
| Q.7  | a. | Compare the process of photo synthesis to the functioning of photo synthesis to the functioning of photovoltaic cells. | 7 | L2  | CO4  |
|      | b. | Super hydrophobic and self cleaning surfaces. Explain in detail.   | 7 | L2  | CO4  |
|      | c. | Write a note on Lotus leaf effect.   | 6 | L3  | CO4  |
|      | 1  | OR UPOG UPDG   | - | 7.0 | CC.  |
| Q.8  | a. | Compare HBOC's and PEC.  | 7 | L2  | CO4  |
|      | b. | How shark skin and swim suits are using biological concepts.   | 7 | L2  | CO4  |
| ٢    | c. | Write a note on GPS technology.  | 6 | L3  | CO4  |
|      |    | Module – 5   | _ |     | 005  |
| Q.9  | a. | Explain in detail flow AI will be used in all disease diagnosis.   | 7 | L2  | CO5  |
|      | b. | Demonstrate bioremediation and biomining.  | 7 | L3  | CO5  |
|      | c. | Explain muscular system as a scaffold.   | 6 | L2  | CO5  |
| 0.10 |    | OR /   |   | 1   | 00.  |
| Q.10 | a. | Explain in detail electrical nose in food science.   | 7 | L2  | CO5  |
|      | b. | Demonstrate bioprinting technique list all of them.  | 7 | L3  | CO5  |
|      | c. | Explain DNA origami and Bio computing.   | 6 | L2  | CO5  |
|      |    |  |   |     |      |
|      |    | 2 of 2   |   |     |      |

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| USN   |  |                                      | Q             | uestion Pape                                | r Version: A      |
| Fourt | th Semester B.E./B.7   |                                      |               |   | n, June/July 2025 |
|       | Ur   | niversal H                           | uman Va       | alues                                       |                   |
| Time  | : 1 hr.]   |                                      |               | 6   | [Max. Marks: 50   |
|       | INS  | <b>FRUCTIONS</b>                     | то тне с      | CANDIDATI                                   | ES                |
| 1.    | Answer all the fifty qu  | estions, each qu                     | estion carrie | s one mark.                                 |                   |
| 2.    | Use only Black ball po   | <b>oint pen</b> for wri              | ting / darken | ing the circles                             |                   |
| 3.    | For each question, af  | ter selecting yo                     | ur answer,    | darken the a                                | ppropriate circle |
|       | corresponding to the   | same question                        | number on     | the OMR she                                 | et.               |
| 4.    | Darkening two circles  | for the same que                     | estion makes  | the answer in                               | valid.            |
| 5.    | Damaging/overwritin  | g, using whit                        | eners on t    | he OMR sh                                   | eets are strictly |
|       | prohibited.  | <u> </u>                             |               |   |                   |
| 1.    | Human values are essentia) living in harmony witb) making life easy c) living with friends and) making money to full | h self, each other                   | and nature    |   | •                 |
| 2.    | "Knowing" means having a) Self exploration b)  |                                      | ing c) evalu  | nation d)                                   | none of these     |
| 3.    | Each human being is co-ea) self, body b)   | existance of the _<br>cost, value    | c) and mind,  | body d)                                     | only body         |
| 4.    | Selecting and desiring are a) body b)  | activities of self                   | c) materia    | ıl d)                                       | mind              |
| 5.    | The problems in our relat a) assumption b)   | ionship with vari<br>misunderstandin |               |   | negligence        |
| 6.    | Value education ensures a) right understanding an c) right and wrong   | and<br>d right feeling               | , -           | man being.<br>lue and moral<br>th and needs |                   |
| 7.    | Process of value education  a) Self declaration (b)  |                                      | c) Self       | d)  | None of these     |

The activity of desires, thoughts and expecting together is called as a) Imagination b) Interaction c) Conscious Ver - A - 1 of 5

d) None of these

| 9.  | Any entity that has that a) Material Entity                                  | ne activity of recognises b) Physical    | zing and fulfillment of<br>c) Physical identit                    |                             |
|-----|--|--|---|-----------------------------|
| 10. | An individual people<br>a) more responsible<br>c) more powerful              | aspiring for the univ                    | versal human order wil<br>lly b) more rich<br>d) more well - trav |                             |
| 11. | Values important for a) Aggression   | the relationship are ib) Competition     | nany ; they may includ<br>c) Integrity and char                   | de<br>racter d) Arrogance   |
| 12. | Happiness means <ul><li>a) To be happy alw</li><li>c) To be joyful</li></ul> | rays 2007                                | b) To be in the sta<br>d) To live happily                         | _                           |
| 13. | "Samridhi" means a) fulfillness  | b) Prosperity                            | c) Sacrifice  | d) Joy                      |
| 14. | Value education lead a) Harmony  | s a human being to<br>b) Peace           | c) Prosperity   | d) (a) & (b)                |
| 15. | It is the first level of a) Individual                                       | living<br>b) Family                      | c) Society  | d) Nature                   |
| 16. | Expression of though a) Behavior   | t is in the form of<br>b) Work           | c) Realization  | d Behavior & Worl           |
| 17. | Our participation at day Behavior  | lifferent levels in the b) Values        | larger order is known<br>c) Efforts                               | asd) None of these          |
| 18. | Values are the outcor<br>a) Behavior   | ne of realization and b) Work            | which are always or Understanding                                 | ays definite.<br>d) Beliefs |
| 19. | It is the fourth level of a) Individual                                      | of living<br>b) Family                   | c) Society  | d) Nature                   |
| 20. | Value education help<br>a) Goals   | s us to correctly iden<br>b) Aspirations |   | d) All of these             |
| 21. | A harmonious world<br>a) Home, Family, S<br>c) School, Home, C               | ociety, Country                          |   | nily, Society , Existence   |
| 22. | To fulfill human aspir<br>a) Both values and sk<br>c) Skills                 |  | ecessary. b) Values d) None of these                              |                             |
| 23. | Values are the outcom a) Indefinite  | b) Definite                              | understanding, which c) Constant - A – 2 of 5                     | are always d) Equilibrium   |

| 24.      |  |   |                        | tive of caste, creed,      |
|----------|--|---|------------------------|----------------------------|
|          | nationalities, religion, a) Rational       | b) Universal                                      | c) Leading to harmo    | ny d) Consciousness        |
| 25.      | The first dimension of                     |   | Co                     |                            |
|          | a) Behavior                                | o) Work   | c) Thought             | d) Realization             |
| 26.      | Developed Nations are                      |   |                        | <u> </u>                   |
|          | a) Prosperity b                            | o) Wealth   | c) Happiness           | d) Health                  |
| 27.      | The Third dimension o                      |   | <u> </u>               |                            |
|          | a) Behavior b                              | o) Work   | c) Thought             | d) Realization             |
| 28.      | What is the emotional s                    |   |                        | D 441 04                   |
|          | a) Happiness b                             | o) Joy  | c) Pleasure            | d) All of these            |
| 29.      | When we set our goal                       | in right direction wit                            | h the help of right ur | nderstanding, it is called |
|          | a) Skill domain                            | o) Value domain                                   | c) Prosperity          | d) Development             |
| 30.      |  | nains : Value domain                              | and skill domain. W    | hich of the following is   |
|          | a) The value domain of                     | leals with the underst                            | anding part, while ski | ill domain deals with      |
|          | the learning part. b) The value domain of  | deals with learning pa                            | rt, while skill domain | deals with the             |
|          | understanding part.                        |   | 000                    |                            |
|          |  | licts with skill domain<br>e part of skill domain |                        |                            |
|          | · · · · · · · · · · · · · · · · · · ·      |   |                        | ,                          |
| 31.      |  | y within myself.  b) Happiness                    | c) Satisfaction        | d) Pleasure                |
|          |  |   | <i>C</i> *             | .,                         |
| 32.      | Prosperity can be achie a) Relationship    | ved by  | b) Physical facility   | v only                     |
|          | c) Right understanding                     | with physical facility                            |                        | , 6                        |
| 33.      | Happiness is the state of                  |   | <b>(</b>               |                            |
| 33.<br>Á |  | Harmony   | c) Satisfaction        | d) Pleasure                |
| 24       | Continuous happiness a                     | and prosperity are the                            |                        |                            |
| 34.      | a) Impractical thought                     | ind prosperity are the                            | b) Impossible desire   | S                          |
|          | c) Basic human aspirat                     | ions  | d) None of these       |                            |
| 35.      | For prosperity, which o                    | f the following is not                            | required?              |                            |
|          | a) Appropriate assessm                     | nent of the physical n                            | needs.                 | al facility                |
|          | b) Ensuring availabilit                    | sy/production of more of physical facilities a    | e than required physic | ai iacinty                 |
|          | <ul><li>d) Giving first priority</li></ul> | to physical facilities                            | in life.               |                            |
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| 36. | The problems in our relationship with various entities are due to our a) Assumptions b) Misunderstandings c) Difference d) Negligence  |
|-----|--|
| 37. | Society means a) Family b) All human beings c) Few individuals d) None of these  |
| 38. | The feeling of having more than required physical facility is a) Happiness b) Prosperity c) Satisfaction d) Success  |
| 39. | Basic requirements for fulfillment of aspirations of every human being with their correct priority area) Right understanding, Relationship and Physical Facilities   |
|     | <ul> <li>b) Physical Facilities, Relationship and Right understanding</li> <li>c) Right understanding, Physical facilities and Relationship.</li> <li>d) Relationship, Right understanding and Physical Facilities.</li> </ul> |
| 40. | Human consciousness is  a) Giving weightage to physical facilities to the maximization of sensory pleasures to accumulation of wealth.   |
|     | <ul> <li>b) Giving weightage to relationship to the inherent feelings and right understanding.</li> <li>c) Both</li> <li>d) None of these</li> </ul>   |
| 41. | helps the human being to transform from animal consciousness to human  |
|     | consciousness. a) Right understanding b) Preconditioning c) Sensations d) None of these  |
| 42. | Our natural acceptance is to be in which category of people  a) Suvidha Viheen Dukhi Daridra (SVDD) b) Suvidha Sampanna Dukhi Daridra (SSDD) c) Suvidha Sampanna Sukhi Samridh (SSSS). d) All of these                         |
| 43. | To which category a prosperous person belong? a) SVDD b) SSDD c) SSSS d) None of these   |
| 44. | Right understanding with physical facilities brings a) Deprivation b) Mutual prosperity c) Mutual fulfillment d) None of these   |
| 45. | The third basic requirement for transformation from animal consciousness to human consciousness is   |
|     | a) Mental discipline b) Sensory pleasure c) All of these d) None of these  |
| 46. | Right understanding of relationship means a) I am in harmony with everyone and everything. b) I am in conflict with everyone and everything c) I am in balance with everyone and everything                                    |

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|     |                                   |                 |               | A A            |              |                    |
|-----|-----------------------------------|-----------------|---------------|----------------|--------------|--------------------|
| 47. | The fourth basic consciousness is | requirement     | for transforn | nation from an | imal conscio | ousness to human   |
|     | a) Relationship                   | b) Detac        | hment         | c) Right under | rstanding d) | Sensory pleasure   |
| 48. | When we are in 1                  | •               |               |                |              |                    |
|     | a) Conflict                       | b) Imba         | lance         | c) Detachme    | nt d)        | Peace              |
| 49. | The human goal a                  |                 |               | \ <b>F</b> 1   | 2            |                    |
|     | a) Prosperity                     | b) Co –         | existence     | c) Fearlessner | ss (d) Rig   | ght understanding  |
| 50. | Self exploration i                |                 |               |                |              | What I really want |
|     | to be". Two mecha) Realization as |                 |               | pioration are. |              |                    |
|     | b) Natural and v                  | erifiable       |               |                |              |                    |
|     | c) Natural accep                  | - William -     |               | lidation       |              |                    |
|     | d) Correctable a                  | nd identifiable |               | _ /            |              |                    |
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